

Research Article

CO-Simulation Analysis of Hydraulic Steel-Belt Overwind Buffer Device

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Abstract: In this study, we obtain overwind buffer distance by using the Lagrange equation to establish the two-degrees-of-freedom mathematical model with vertical shaft lifting system in rolling process. Design of a buffer device which is composed of a hydraulic energy absorption and strip plastic deformation energy absorbing and analyze its working principle with mechanical and hydraulic system. Analysis of the overwind buffer time and buffer distance with loaded full overwind and no-load speed by using ADAMS and AMESim to build mechanical hydraulic combined simulation model of hydraulic steel-belt overwind buffer device. The simulation results show that: buffer time is 0.67 sec and buffer distance is 0.38 m with loaded full overwind; buffer time is 0.523 sec and buffer distance is 0.05 m with no-load speed overwind. The design of Hydraulic steel-belt overwind buffer device conforms with the requirements of safety regulation in coal mine.

Keywords: Buffer, hydraulic energy absorption, mechanical-hydraulic coupling simulation

INTRODUCTION

With the extensive use of vertical shaft hoisting system in the mine hoist system, the vertical shaft hoisting system has become the key to the efficient and safe production of the mine (Jiang, 2008). Although the vertical shaft hoisting system has a variety of electrical protection and backup protection, overwind accidents still happen frequently due to high container speed and certain restrictions in braking deceleration when overwind. At present there are wedge-shaped cans road, buffered wood (bumper beam), friction energy absorbing devices in overwind buffer mining equipments of national mine (Xi-Ping, 2009; Jia-Feng, 2010). Literature 3-7 (Guo-Wang and Chun-Xiao, 2007; Li, 2009) analyses several overwind buffer devices. Literature 8 (Jin-Hua *et al.*, 2010) has a stress analysis of vertical shaft hoisting anti-overwind and anti-overdischarge buffer supporting cage devices. Literature 9 (Fu-Zhen *et al.*, 2011; Yu-Jin, 2008) adopts COSMOS Motion to have a simulation analysis of hoisting over rolling buffering devices. Along with the introduction of steel-belt type plastic deformation absorption, plastic deformation absorption overwind buffer device has widely applied in various mines. Based on plastic deformation absorption overwind buffer device, this study studies a hydraulic steel-belt overwind buffer device and conducts a mechanical-hydraulic liquid joint simulation test for the buffer process of the device (Yong-Zhou and Ji-Sheng, 2009; Yang-Rui *et al.*, 2012).

METHODOLOGY

Dynamic analysis of buffer process of vertical shaft hoisting system: The quality of the down side of the cage can be ignored. Using Lagrange equation to establish 2-d mathematical model of friction type upgrade system over rolling process, as is shown in Fig. 1. Lagrange equation is:

$$\frac{d}{dt} \left(\frac{\partial T}{\partial \dot{q}_i} \right) - \frac{\partial T}{\partial q_i} + \frac{\partial U}{\partial q_i} = Q_i \tag{1}$$

where,

T = The kinetic energy of the lifting system

U = The potential energy of the lifting system

Q_i = The generalized force of the lifting system

q_i = The generalized of the lifting system

The kinetic energy of the system is:

$$T = \frac{1}{2} m_2 \dot{x}_2^2 + \frac{1}{2} m_3 \dot{x}_3^2 + \frac{1}{6} m_x \dot{x}_3^2 + \frac{1}{3} m_t \frac{\dot{x}_2^2 + \dot{x}_2 \dot{x}_3 + \dot{x}_3^2}{2} \tag{2}$$

The potential energy of the system is:

$$U = -m_x g x_3 + m_2 g x_2 + \frac{1}{2} m_t g (x_2 + x_3) + k x_2^2 + \frac{1}{2} k_2 (x_3 - x_2 + f_s)^2 \tag{3}$$

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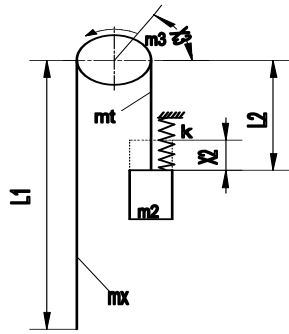


Fig. 1: Overwind buffer process mathematical model with two degrees of freedom

where,

k = The elasticity coefficient of the buffer device, N/m

k_2 = The elasticity coefficient of the rising side of the rope $k_2 = \frac{EA}{L_2}$, N/m

A = The elasticity modulus of the rope, mm²

L_2 = The length of the rising side of the rope, m

f_2 = The initial displacement of the rising side of the rope

$$f_s = \frac{m_2 g}{k_2} + \frac{m_t g}{2k_2}, m$$

The generalized force $Q_2 = 0$

The generalized force $Q_3 = (m_2 + m_t - m_x) g$

According to Lagrange Eq. (2) freedom differential equation of the system is:

$$\begin{cases} (m_2 + \frac{m_t}{3})\ddot{x}_2 + \frac{1}{6}m_t\ddot{x}_3 + (2k - k_2)x_2 + k_2x_3 = 0 \\ (m_3 + \frac{m_x + m_t}{3})\ddot{x}_3 + \frac{1}{6}m_t\ddot{x}_2 - k_2x_2 + k_2x_3 = 0 \end{cases} \quad (4)$$

The initial condition is:

$$\{x_0\} = \{0\}, \{\dot{x}_0\} = \{V\}$$

Write type (4) as universal differential equations of two freedom degree of the system:

$$\begin{cases} a_{11}\ddot{x}_2 + a_{12}\ddot{x}_3 + c_{11}x_2 + c_{12}x_3 = 0 \\ a_{21}\ddot{x}_2 + a_{22}\ddot{x}_3 + c_{21}x_2 + c_{22}x_3 = 0 \end{cases} \quad (5)$$

where,

$$a_{11} = m_2 + (m_t/3)$$

$$a_{12} = a_{21} = (1/6) m_t$$

$$a_{22} = m_3 + ((m_x + m_t)/3)$$

$$c_{11} = 2k - k_2$$

$$c_{12} = c_{22} = k_2$$

$$c_{21} = -k_2$$

$$x_2 = A_1 \sin(Pt + \alpha_1)$$

$$x_3 = A_2 \sin(Pt + \alpha_2)$$

substitution type (5):

$$\begin{cases} -A_1 P^2 a_{11} - A_2 P^2 a_{12} + c_{11} A_1 + c_{12} A_2 = 0 \\ -A_1 P^2 a_{21} - A_2 P^2 a_{22} + c_{21} A_1 + c_{22} A_2 = 0 \end{cases} \quad (6)$$

Type (6) can be obtained, respectively:

$$\frac{A_1}{A_2} = -\frac{c_{12} - a_{12} P^2}{c_{11} - a_{11} P^2}, \frac{A_1}{A_2} = -\frac{c_{22} - a_{22} P^2}{c_{21} - a_{12} P^2}$$

By finishing:

$$(c_{11} - a_{11} P^2)(c_{22} - a_{22} P^2) - (c_{21} - a_{12} P^2)^2 = 0 \quad (7)$$

So the vibration frequency of this system is:

$$\begin{cases} P_1^2 = \frac{-B - \sqrt{B^2 - 4AC}}{2A} \\ P_2^2 = \frac{-B + \sqrt{B^2 - 4AC}}{2A} \end{cases} \quad (8)$$

where,

$$A = a_{11}a_{22} - a_{12}^2$$

$$B = 2a_{12}c_{12} - a_{11}c_{22} - a_{22}c_{11}$$

$$C = c_{11}a_{22} - c_{12}^2$$

The general solution of the equation:

$$\begin{cases} x_2 = A_{11} \sin(P_1 t + \alpha_1) + A_{12} \sin(P_2 t + \alpha_2) \\ x_3 = A_{21} \sin(P_1 t + \alpha_1) + A_{22} \sin(P_2 t + \alpha_2) \end{cases} \quad (9)$$

The design of hydraulic steel-belt overwind buffer device:

The mechanical design: As is shown in Fig. 2, hydraulic steel-belt overwind buffer device can be divided into three parts: Overwind buffer part, holding tank portion and volume restoration part.

Overwind buffer portion is composed of a hydraulic buffer mechanism and the tape buffer mechanism. Hydraulic buffer mechanism is composed of cushion cylinder, beams and the corresponding hydraulic components; strip buffer mechanism is composed of steel, column, a sliding column, the support plate and the pressure roller and so on. When overwind occurs, ascending vessel push beam upward and beam through the connection with the shaft pin takes with buffer oil cylinder piston rod and smooth

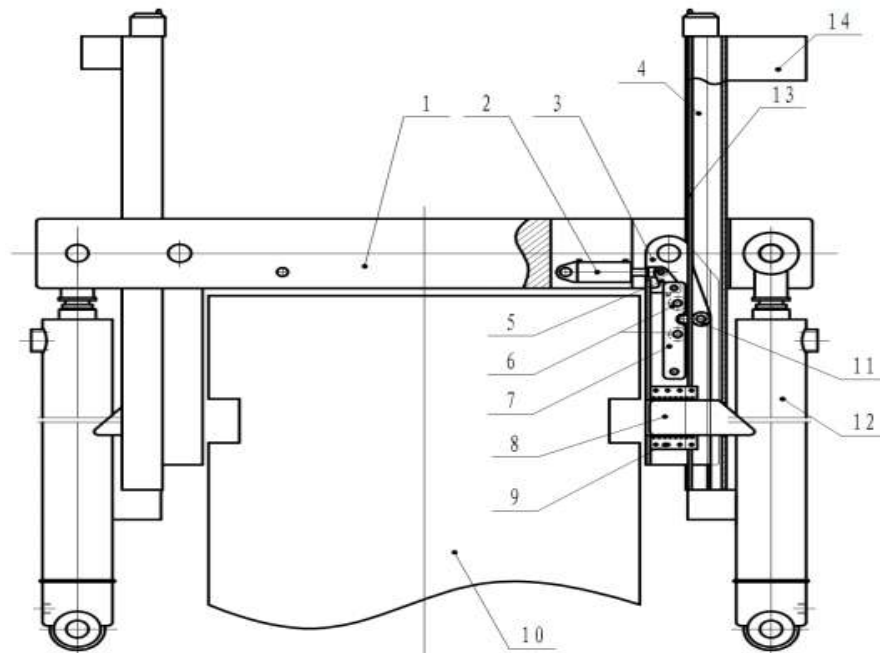


Fig. 2: Hydraulic steel-belt overwind buffer

- 1: Beam; 2: Buffer oil cylinder; 3: Slippy column; 4: Pillar; 5: Fork; 6: Press roller; 7: Support plate; 8: The lock tongue; 9: The lock tongue tracks; 10: Lifting container; 11: Middle pressure roller; 12: Buffer oil cylinder; 13: Steel belt; 14: Mast

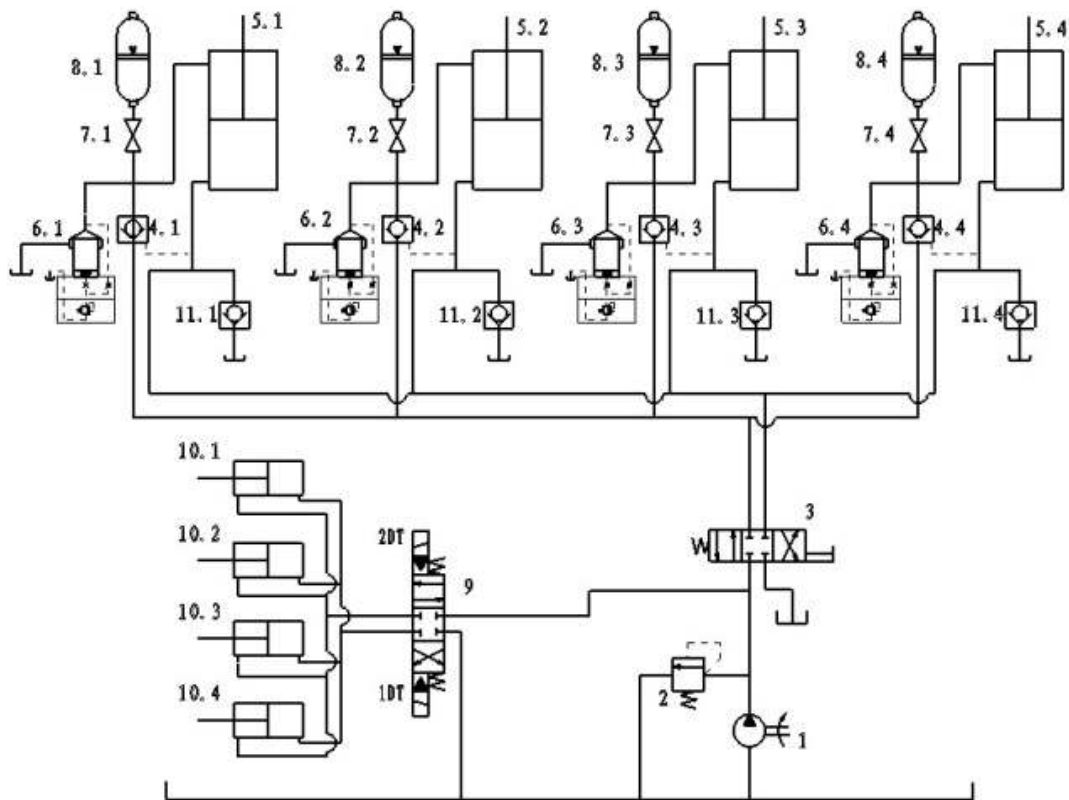


Fig. 3: The hydraulic schematic diagram

- 1: Pump; 2: Relief valve; 3: Reversing valve; 4: Liquid control one-way valve; 5: Buffer oil cylinder; 6: Cartridge relief valve; 7: Cut-off valve; 8: Accumulator; 9: Electromagnetic reversing valve; 10: Recovery cylinder

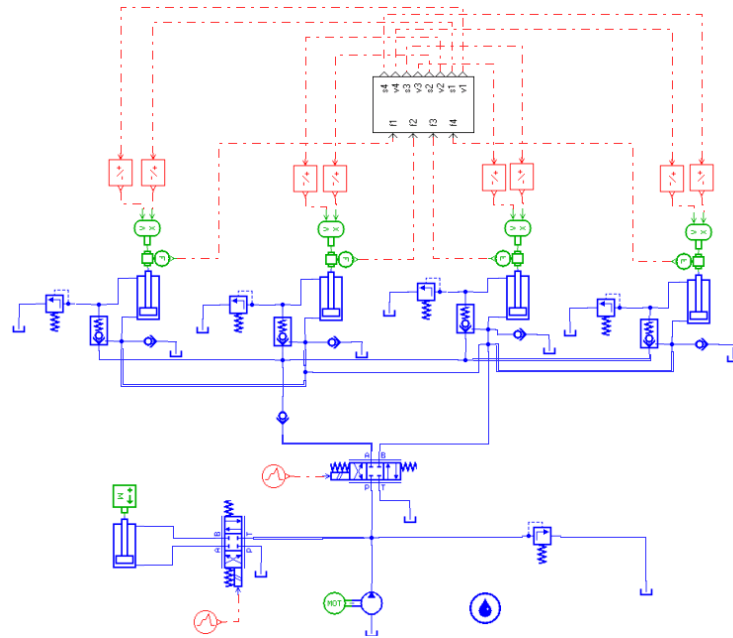


Fig. 5: Machine hydraulic coupling simulation model

Hydraulic steel-belt overwind buffer device use a energy absorbing mode that hydraulic energy absorber and steel plastic deformation energy absorbing synergy absorption to absorb hoisting container overwind impact energy. Hydraulic energy absorbing can play a leading role and steel belt plastic deformation energy absorbing as an auxiliary function in the wind buffer process. It can effectively enhance the overwind buffer device cushioning performance and ensure safely and stably lifting container dock. The steel belt can be repeatedly used, because the steel belt deformation as an auxiliary function, the deformation is small and the force is smaller, so the steel belt bears little damage in the buffer process.

Research on simulation:

Machine-fluid co-simulation modeling: A virtual prototype model of the hydraulic strip of overwind buffer device be built in Dynamic simulation software ADAMS (Xiao-Ming and Zhao-Mei, 2011), shown in Fig. 4. Hydraulic system simulation model be built in AMESim software environment. After the two models are built, interface module of machine-fluid coupling simulation be outputted in ADAMS and be imported the hydraulic model in AMESim environment (Zhu *et al.*, 2011a), shown in Fig. 5.

MACHINICAL AND HYDRAULIC JOINT SIMULATION TEST AND RESULTS ANALYSIS

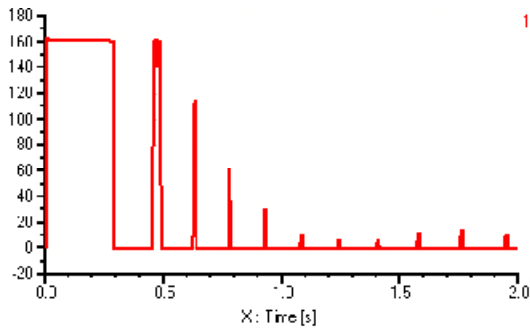
A hypothesis of hoisting system happened respectively overwind status in full load speed and

Idling speed conditions, loaded with full speed when overwind hoisting container quality 12 tons, the rising speed of 10 m/sec; relief valve pressure setting for 16 MPa. No load with low speed when overwind hoisting container quality 6 tons, the rising speed of 3 m/sec; relief valve pressure setting for 16 MPa. Oil cylinder stem diameter and cylinder size are 60 and 90 mm; deformation resistance of steel belt is applied between the steel belt and the sliding column of virtual prototype in ADAMS environment (apply force to replace deformation resistance of steel strip). Through operating simulation model in the AMESim software, finally we get the simulation curve as shown in the Fig. 6a, b, c, d and 7a, b, c, d.

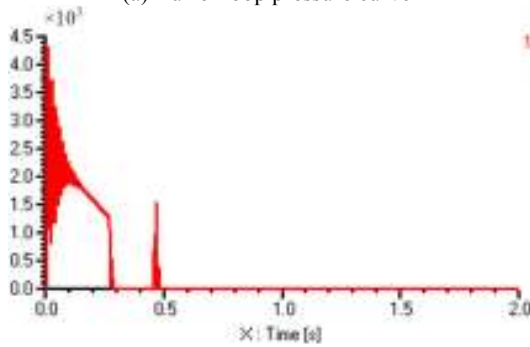
The full-load overwind with full speed: As is shown in Fig. 6a, about at 0.67 sec in the overwind buffer process, buffer loop pressure is lower than 10 MPa. At 0.67 sec buffer loop does not appear the overflow condition in the Fig. 6b. So is thought that buffer time is about 0.67 sec. Meeting the theory to calculate the required buffer time is 0.5-1 sec requirements.

Hoisting container in the rise to the highest point will appear the fall situation back (Fig. 6c). From the curves, hoisting container maximum upward position is 2.95 M and the lowest downward position is 2.57 M, so buffer distance of hoisting container is 0.38 m. Meet the " coal mine safety regulation" (Zhu *et al.*, 2011b) regulation of buffer distance less than or equal to 0.5 m and maximum overwind distance requirements.

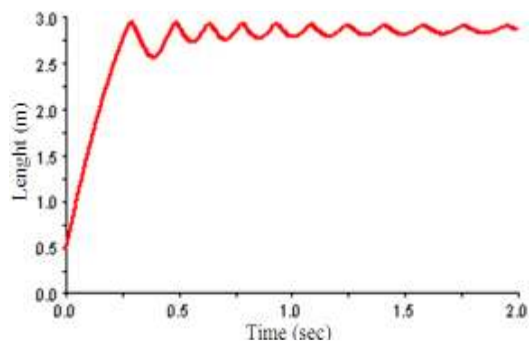
From Fig. 6d, It is known that hoisting container (hoisting container just contact beams) appeared



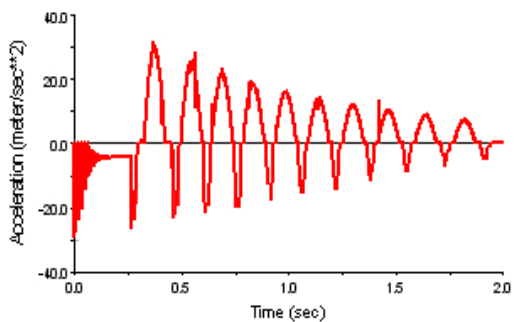
(a) Buffer loop pressure curve



(b) Buffer loop flow curve



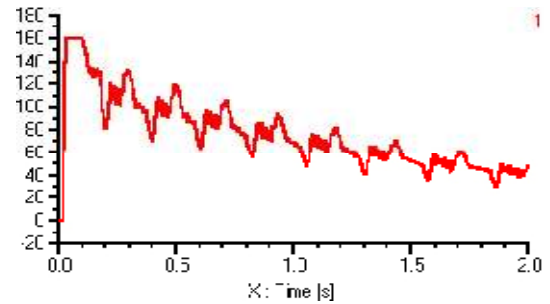
(c) The displacement curve of hoisting container



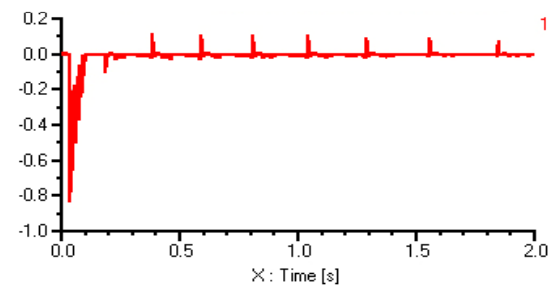
(d) The acceleration curve of hoisting container

Fig. 6: The full-loading buffer loop curve when over wind

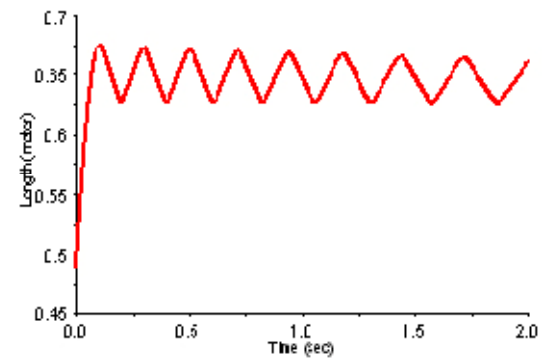
intense fluctuations with acceleration in the initial stage of buffer, then acceleration tends smooth; acceleration



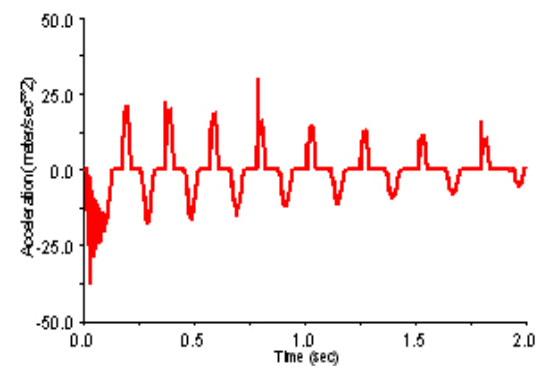
(a) Buffer loop pressure curve



(b) Buffer loop flow curve



(c) The displacement curve of hoisting container



(d) The acceleration curve of hoisting container

Fig. 7: The curve of no-loading buffer oil cylinder when over wind

appears bigger wave motion in about 0.25 sec, that is because hoisting container reach the highest point then

drop back. From the curves, in the buffer process the maximum acceleration is about 28.78 m/sec^2 . Meet the buffer acceleration is about 1-3 times gravity acceleration requirements.

The no-load overwind with a low speed: Figure 7a shows, at 0.523 sec buffer loop pressure is lower than 10 Mpa. From the Fig. 7b, it is known that in 5.23 sec overflow are not present in the buffer loop, so the buffer time is 0.523 sec, which meets the design requirements.

As shown in Fig. 7c, the highest position of hoisting container is 0.68 m, the lowest position is 0.63 M, so the buffer distance is 0.05 m, which meets the requirements of buffer distance: buffer distance not greater than 0.5 m.

In Fig. 7d, hoisting container maximum buffer acceleration is 37.03 m/sec^2 . The acceleration appeared to fluctuate from 0s to 0.12 sec, about after 0.13 sec acceleration appeared periodic reductive gradually changes. Although the biggest buffer acceleration of 37.03 m/sec^2 is not in the range of (1-3) g, but 37.03 m/sec^2 only appears at 0.003 sec, the others all meet buffer acceleration is about (1-3) g requirements. It is suggested that the simulation results meet the design requirements.

By full-load full speed and no-load low speed overwind simulation result analysis, the design of the hydraulic steel-belt overwind buffer device either in full-load full speed or in no-load low speed overwind in the buffer time, buffer distance, the buffer acceleration and other technical requirements all meet the design requirements.

CONCLUSION

- By Lagrange equation it is to establish the two degree freedom mathematical model of friction upgrade the overwind process in order to analyze the volume of buffer distance.
- Design a overwind buffer device of hydraulic steel belt. The hydraulic absorption and steel belt plastic deformation absorption can be a combination of energy absorption model, which can effectively enhance the overwind buffer performance. The absorption model of hydraulic absorption as the main role and steel belt plastic deformation energy absorption as the supplementary role, can achieve the reuse of the overwind buffer device.
- Through the machine-fluid coupling simulation results shows that: full load at full speed through overwind, buffer time is 0.67 sec and distance is 0.38 m. No-load low-speed over the overwind, buffer time is 0.523 sec and distance is 0.05 m. These parameters meet the regulations requirement.

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